GCSE
Mathematics
93701F Applications of Mathematics
Unit 1: Foundation Tier
Mark scheme

## 93701F

June 2015

Version 1.0 Final Mark Scheme

Mark schemes are prepared by the Lead Assessment Writer and considered, together with the relevant questions, by a panel of subject teachers. This mark scheme includes any amendments made at the standardisation events which all associates participate in and is the scheme which was used by them in this examination. The standardisation process ensures that the mark scheme covers the students' responses to questions and that every associate understands and applies it in the same correct way. As preparation for standardisation each associate analyses a number of students' scripts. Alternative answers not already covered by the mark scheme are discussed and legislated for. If, after the standardisation process, associates encounter unusual answers which have not been raised they are required to refer these to the Lead Assessment Writer.

It must be stressed that a mark scheme is a working document, in many cases further developed and expanded on the basis of students' reactions to a particular paper. Assumptions about future mark schemes on the basis of one year's document should be avoided; whilst the guiding principles of assessment remain constant, details will change, depending on the content of a particular examination paper.

Further copies of this mark scheme are available from aqa.org.uk

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## Glossary for Mark Schemes

GCSE examinations are marked in such a way as to award positive achievement wherever possible. Thus, for GCSE Mathematics papers, marks are awarded under various categories.

M Method marks are awarded for a correct method which could lead to a correct answer.

A

B
ft

SC

Mdep A method mark dependent on a previous method mark being awarded.

Bdep A mark that can only be awarded if a previous independent mark has been awarded.
oe
Or equivalent. Accept answers that are equivalent.
eg, accept 0.5 as well as $\frac{1}{2}$
$[a, b] \quad$ Accept values between $a$ and $b$ inclusive.
$3.14 \ldots \quad$ Allow answers which begin $3.14 \mathrm{eg} 3.14,3.142,3.149$.

Use of brackets It is not necessary to see the bracketed work to award the marks.

Examiners should consistently apply the following principles

## Diagrams

Diagrams that have working on them should be treated like normal responses. If a diagram has been written on but the correct response is within the answer space, the work within the answer space should be marked. Working on diagrams that contradicts work within the answer space is not to be considered as choice but as working, and is not, therefore, penalised.

## Responses which appear to come from incorrect methods

Whenever there is doubt as to whether a candidate has used an incorrect method to obtain an answer, as a general principle, the benefit of doubt must be given to the candidate. In cases where there is no doubt that the answer has come from incorrect working then the candidate should be penalised.

## Questions which ask candidates to show working

Instructions on marking will be given but usually marks are not awarded to candidates who show no working.

## Questions which do not ask candidates to show working

As a general principle, a correct response is awarded full marks.

## Misread or miscopy

Candidates often copy values from a question incorrectly. If the examiner thinks that the candidate has made a genuine misread, then only the accuracy marks (A or B marks), up to a maximum of 2 marks are penalised. The method marks can still be awarded.

## Further work

Once the correct answer has been seen, further working may be ignored unless it goes on to contradict the correct answer.

## Choice

When a choice of answers and/or methods is given, mark each attempt. If both methods are valid then M marks can be awarded but any incorrect answer or method would result in marks being lost.

## Work not replaced

Erased or crossed out work that is still legible should be marked.

## Work replaced

Erased or crossed out work that has been replaced is not awarded marks.

## Premature approximation

Rounding off too early can lead to inaccuracy in the final answer. This should be penalised by 1 mark unless instructed otherwise.

| Q Answer | Mark | Comments |
| :--- | :--- | :--- | :--- |


| 1(a) | 4 | B1 |  |
| :---: | :---: | :---: | :---: |
| 1(b) | 10 | B1 ft | Follow through their key in part a $\times 2.5$ |
|  | Additional guidance |  |  |
|  | If answer space is bank or answer is crossed out and not replaced check table. |  |  |
| 1(c) | Semicircle drawn for 'Very poor' | B3 | ft their key throughout this question if key is even <br> B2 for 'Very poor' = 2 <br> B1 for 2 of 10, 6 and 4 seen for Very good, Average and Poor |
|  | Additional guidance |  |  |
|  | Eg key of circle represents 2 will give 8 circles drawn for B3ft <br> 16 for B2 <br> 5, 3 and 2 for B1 <br> The frequency column does not have to be completed but check for any working/values there. |  |  |


| Q Answer | Mark | Comments |
| :--- | :---: | :---: | :---: |


| 2(a) | $1.9(0)+1.2(0) \text { or } 3.1(0)$ <br> or $10(.00)-1.9(0)-1.2(0)$ | B1 |  |
| :---: | :---: | :---: | :---: |
|  | 6.90 | Q1 | Strand (i) Correct money notation |
| 2(b) | £2, £1, 50p, 10p, 5p | B2 | Accept correct coins in any order <br> B1 for $£ 3.65$ using a different number of coins <br> B1 for poor notation <br> eg 2, 1, 50, 10, 5 <br> eg 2.00, 1.00, 50p, 10p, 5 p <br> eg 2.00, 1.00, 0.50, 0.10, 0.05 |
|  | Additional guidance |  |  |
|  | If coins such as $£ 3$ coins are used then award no marks. <br> Correct coins identified in the work with communication error shown in answer, then ISW. Eg 2, 1, 50, 10, 5 in work but 2.00, 1.00, 0.50, 0.10, 0.5 award B1 However, fully correct solution in working $£ 2, £ 1,50$ p, 10 p, 5 p with an answer such as $£ 2, £ 1$, $£ 50$ p, $£ 10$ p, $£ 5$ p gains only B1 as the answer contradicts the solution in the working due to its poor communication. <br> If in doubt, then escalate the clip. |  |  |
| 2(c) | Alternative method 1 |  |  |
|  | $\begin{aligned} & 3 \times 1.4(0)+3 \times 1.8(0) \text { or } 9.6(0) \\ & \text { Or }(1.4(0)+1.8(0)) \times 3 \text { or } 9.6(0) \end{aligned}$ | M1 | Implied by 6.8(0) or 6(.00) |
|  | their 9.6(0) - $3 \times 2.75$ | M1 |  |
|  | (£)1.35(p) | A1 |  |
|  | Alternative method 2 |  |  |
|  | (1.4(0) + 1.8(0)) - 2.75 or 0.45 | M1 | Saving on one afternoon tea deal |
|  | $3 \times$ their 0.45 | M1 |  |
|  | (£)1.35(p) | A1 |  |


| Q | Answer | Mark | Comments |
| :---: | :--- | :---: | :--- |
| 2(d) | $10 \div 1.2(0)$ or 8.3(3...) | M1 | Or evidence of counting in 1.20's to 9.60 |
|  | 8 | A1 |  |
|  | Additional guidance |  |  |
|  | Note: an answer of 8 following an <br> arithmetical error does not gain the <br> accuracy mark. |  |  |


| 3(a) | 7 | B1 |  |
| :---: | :--- | :---: | :--- |
| 3(b) | 'They increased' circled | B1 |  |
| 3(c) | 'England' circled | B1 |  |


| 3(d) | Alternative method 1 |  |  |
| :---: | :---: | :---: | :---: |
|  | 84 (-) 68 | M1 | 84 and 68 chosen |
|  | 16 and No | A1 |  |
|  | Additional guidance |  |  |
|  | 84 and 68 and not other percentages from the bar chart, or $84-68$, or $68-84$ If values close to 84 or 68 are being used, check the graph to see if scale is being misread, in which case M mark may be awarded. |  |  |
|  | Alternative method 2 |  |  |
|  | $68+20$ or 88 | M1 |  |
|  | 88 and 84 and No | A1 |  |
|  | Alternative method 3 |  |  |
|  | $68 \times 1.20$ or 81.6 | M1 | oe |
|  | 81.6 and 84 and No | A1 |  |
|  | Alternative method 4 |  |  |
|  | 84-20 | M1 |  |
|  | 64 and 68 and No | A1 |  |


| $\mathbf{Q}$ | Answer | Mark | Comments |
| :--- | :---: | :---: | :---: |


| 4(a) | $0.05 \times 315+22.5$ | M1 |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 38.25 | A1 |  |  |
|  | Alternative 1 |  |  |  |
|  | 53.5-22.5 or 31 | M1 |  |  |
|  | Their $31 \div 0.05$ | M1 |  |  |
|  | 620 | A1 | $\begin{aligned} & \mathrm{SC} \\ & \mathrm{SC} \\ & \mathrm{SC} \end{aligned}$ | $\begin{aligned} & 1047.5 \\ & 1.55 \text { or } 1520 \\ & -396.5 \end{aligned}$ |
|  | Alternative 2 |  |  |  |
|  | One trial of any number of units | M1 |  |  |
|  | Improved trial of any number of units | M1 |  |  |
|  | 620 | A1 | $\begin{aligned} & \mathrm{SC} \\ & \mathrm{SC} \end{aligned}$ $\mathrm{SC}$ | $\begin{aligned} & 1047.5 \\ & 1.55 \text { or } 1520 \\ & -396.5 \\ & \hline \end{aligned}$ |
|  | Additional guidance |  |  |  |
|  | One complete trial must involve $\times$ 0.05 and +22.50 to find cost of gas bill. |  |  |  |


| Q | Answer | Mark | Comments |
| :--- | :--- | :---: | :--- |
| $\mathbf{5}$ | 6 paperbacks and 4 hardbacks | B3 | Award B2 for a combination of at least 1 <br> paperback and 1 hardback giving a total <br> between $£ 8$ and $£ 10$ inclusive <br> or $£ 9 \div 1.9=4.7$ and 4 hardbacks and 4 <br> paperbacks (cost $£ 7.60$ ) <br> Award B1 for any attempt at combinations <br> of at least 1 paperback and 1 hardback <br> with totals outside the range $£ 8$ to $£ 10$ but <br> inside the range $£ 4$ to $£ 14$ or a multiple of <br> either paperbacks or hardbacks giving a <br> total between $£ 8$ and $£ 10$ inclusive. <br> or $£ 9 \div 1.9$ <br> or attempt at subtracting costs from $£ 9$ (at <br> least 2 items subtracted) |
|  | Additional guidance <br> 4 note: <br> Mark the answer lines first. <br> If marks cannot be awarded for the answers on the answer lines then look at the working to <br> see if marks can be awarded. In the working accept amounts to imply the number of books. |  |  |


| $\mathbf{Q}$ | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |


| 6(a) | Music and work | B1 | Either order |
| :---: | :--- | :---: | :--- |
| $\mathbf{6 ( b )}$ | $\frac{80}{360}$ | M1 | oe |
|  | $\frac{2}{9}$ | A1 |  |
| $\mathbf{6 ( c )}$ | $0.2 \times 360$ or $72\left({ }^{\circ}\right)$ <br> or $70 \div 360$ or $0.19(4 \ldots)$ <br> or $(70 \div 360) \times 100$ or $19 .(4 \ldots)(\%)$ | M1 | oe |
|  | $72\left({ }^{\circ}\right)$ and Phil <br> Or $0.19(4 \ldots)$ and 0.2 and Phil <br> or $19 .(4 \ldots)(\%)$ and Phil <br> or $0.6(\%)$ and Phil | A1 |  |


| 7(a) | 950 | B1 |  |
| :--- | :--- | :---: | :--- |
| 7(b) | 300 | B1 |  |
| 7 | 7(c) | Athens is more expensive on average | B1ft |
|  | oe ft their (a) |  |  |
|  | Prices for Rhodes are less variable | B1ft | oe ft their (b) |
|  | Additional Guidance |  |  |
|  | Examples for B1 <br> Median comment <br> Median price is less so Rhodes holidays are cheaper <br> Median difference = 45 so Rhodes is cheaper <br> Median price is lower so Rhodes is cheaper <br> Rhodes is cheaper Athens is more expensive <br> Range comment: <br> Range is smaller which mean the prices are closer together (less spread) <br> Examples for B0 <br> Median diff = 45 <br> Range diff = 24 <br> Rhodes is cheaper (we do not know whether the comment is ref. the median or range) |  |  |


| $\mathbf{Q}$ | Answer | Mark | Comments |
| :---: | :--- | :---: | :--- |
| $\mathbf{8 ( a )}$ | 2 | B 1 |  |
| $\mathbf{8 ( b )}$ | $11 \times 5+2 \times 9$ | M1 |  |
|  | 73 | A1 |  |
|  | $107=7 \times 11+2 D$ | M1 | Implied by $107-7 \times 11$ or 30 |
|  | $(D=) 15$ (miles) | A1 |  |
|  | Additional guidance |  |  |
|  | Note: 15 may come from incorrect working, eg $107 \div 7=15.28$, so answer $=15$ This gains M0 <br> A0 |  |  |


| 9(a) | 7 | B1 |  |
| :---: | :---: | :---: | :---: |
| 9(b) | 31 | B1 |  |
| 9(c) | 15 | B1 |  |
|  | 15 does not appear in the stem-andleaf diagram | B1ft | Oe ft their 15 |
|  | Additional guidance |  |  |
|  | For oe Accept 15 and no one scored between 8 and 17 in the stem and leaf diagram |  |  |
| 9(d) | 8 | B1 |  |
|  | $\frac{\text { their } 8}{25}(\times 100)$ | M1 |  |
|  | 32 (\%) | A1ft | Ft their 8 |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 10 | Alternative method 1 |  |  |
|  | $2.50 \div 3$ or $3.40 \div 4$ | M1 | Attempt to find cost per carton |
|  | 83(.3..)(p) and 85(p) | A1 |  |
|  | Offer 1 | Q1ft | Strand (iii) <br> ft conclusion based on their 2 values provided M1 awarded. |
|  | Alternative method 2 |  |  |
|  | $4 \times £ 2.50$ or $3 \times £ 3.40$ | M1 | oe <br> Attempt to find cost for 12 cartons or a multiple of 12 cartons |
|  | $£ 10$ and $£ 10.20$ | A1 |  |
|  | Offer 1 | Q1ft | Strand (iii) ft conclusion based on their 2 values provided M1 awarded. |
|  | Additional guidance |  |  |
|  | In Alt 2 they may use a multiple other than 12 cartons. They may be awarded M1 for any multiple that could be useful, for example 24. They then gain A1 for both values for their multiple found correctly. |  |  |
|  | Alternative method 3 |  |  |
|  | $\begin{aligned} & 3 \div 2.50 \\ & \text { Or } 4 \div 3.40 \end{aligned}$ | M1 | Oe <br> Attempt to find number of cartons per $£ 1$ |
|  | 1.2 and 1.17(6..) | A1 | Accept 1.17 or 1.18 |
|  | Offer 1 | Q1 ft | Strand (iii) ft conclusion based on their 2 values provided M1 awarded. |
|  | Alternative method 4 |  |  |
|  | $2.50 \div 3$ | M1 | Cost of 4 pack at 3 carton offer price |
|  | 83(.3...)(p) $\times 4=(£) 3.33(3 \ldots)$ | A1 | Accept (£)3.33 or (£)3.32 |
|  | Offer 1 | Q1ft | Strand (iii) <br> ft conclusion based on their value provided M1 awarded. |


| 10 | Alternative method 5 |  |  |
| :---: | :---: | :---: | :---: |
|  | $3.40 \div 4$ | M1 | Cost of 3 cartons at 4 pack price |
|  | 85(p) $\times 3=(£) 2.55$ | A1 |  |
|  | Offer 1 | Q1ft | Strand (iii) <br> ft conclusion based on their value provided M1 awarded. |
|  | Alternative method 6 |  |  |
|  | $2.50 \div 3$ | M1 |  |
|  | 83(.3...)(p) and 90(p) | A1 |  |
|  | Offer 1 | Q1ft | Strand (iii) <br> ft conclusion based on their value provided M1 awarded. |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |


| 11 | Alternative method 1 |  |  |
| :---: | :---: | :---: | :---: |
|  | $(12+10+5) \times 6$ or 162 | M1 |  |
|  | Their $162+50+60$ or 272 | M1 |  |
|  | Their $272 \div 1.18$ | M1 |  |
|  | 230(.5 ...) and No | A1 | Accept 231 |
|  | Additional guidance |  |  |
|  | For the third M1 allow any relevant conversion from euros to pounds eg 12 euros, 10 euros, 5 euros 50 euros <br> Their 162 must be from an attempt at a total for their daily costs. This could be $27(12+10+5)$ |  |  |
|  | Alternative method 2 |  |  |
|  | $220 \times 1.18$ | M1 |  |
|  | $(12+10+5) \times 6$ or 162 | M1 |  |
|  | Their $162+50+60$ or 272 Or Their 259(.6) - their 162 | M1 |  |
|  | 259(.6) and 272 and No <br> Or <br> 97(.6) and No | A1 | Accept 260 |
|  | Alternative 3 |  |  |
|  | $220 \times 1.18$ | M1 |  |
|  | Their 259(.6)-(50 + 60) | M1 |  |
|  | Their $149(.6) \div(12+10+5)$ | M1 |  |
|  | 5.54 days and No | A1 | Accept 5.5 days and No |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 12(a) | Line of best fit drawn from between $(5,22)$ and $(5,26)$ reaching to between $(10,29)$ and $(10,33)$ providing there are at least 2 points on each side of their line | B1 | Intention to be straight |
|  | Correct reading from their line. | B1ft | ft their line of best fit if increasing $\pm 1 / 2$ square <br> SC1 $[28,29]$ with no line of best fit |
|  | Additional Guidance |  |  |
|  | The line therefore must go horizontally from 5 to 10 minimum <br> Must be a good attempt at straight but does not have to be ruled. Must be the whole of their line. <br> For B1 ft they must give the reading from their line. This line may be curved, zig,zag (points joined) If any line is seen then the SC does not apply. <br> If they join the points and draw a line of best fit then ft the reading from the line of best fit only Ignore subsequent rounding eg correct value from their line of $28.8=29$ (ignore the 29) |  |  |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 12(b) | No as temperatures are generally lower (in December /Winter) <br> No. Weather conditions are different in December <br> No. Graph is only for summer <br> No. No data for December | B1 | oe |
|  | Additional Guidance |  |  |
|  | Box for 'No' ticked or 'No' used in working lines. <br> Need to give the idea that December is such a different time of year that its not appropriate <br> Examples for B1 <br> Temperatures rarely get above 16 in December <br> Temperatures often below freezing in December <br> They are in different seasons <br> July and December have different weather conditions <br> July temperatures would not be representative of December temperatures. <br> No, because the temperatures in December are completely different to that of July. <br> Because heat does not go as high as it does in summer. <br> It's cold in December <br> Because it won't be summer <br> Examples for B0 <br> Less hours of sunshine in December <br> The graph shows the maximum temperature in July <br> Its only measured on 7 days in July <br> The max temperature doesn't go low enough for December/start low enough <br> Line of best fit is lower in December. |  |  |


| Q Answer | Mark | Comments |
| :--- | :---: | :---: | :---: |

## Alternative method 1

| $15 \times 1.60$ or 24 or $25 \times 1.20$ or $£ 30$ | M1 |  |
| :---: | :---: | :---: |
| $15 \times 1.60+25 \times 1.20$ or 54 | M1 | Implies first M1 |
| $\frac{\text { their54 }}{15+25}$ | M1 | dep on M2 |
| 1.35 | A1 |  |
| Additional Guidance |  |  |
| 54 seen can imply M2 if it is then used. If it is replaced by a different method then it is choice. <br> Example $15 \times 1.60+25 \times 1.20=54$ <br> Answer 2.80 <br> MOMOMOAO <br> ( 2.80 comes from $1.60+1.20$. This is a different method so choice.) |  |  |
| Alternative method 2 |  |  |
| $\begin{aligned} & \frac{15}{15+25} \text { or } \frac{3}{8} \text { or } \frac{25}{15+25} \text { or } \frac{5}{8} \\ & \text { or ratio } 3: 5 \text { used } \end{aligned}$ | M1 |  |
| Their $\frac{3}{8} \times 1.60$ or 0.6 or their $\frac{5}{8} \times 1.2$ or 0.75 | M1 | their $\frac{3}{8}$ and their $\frac{5}{8}$ must come from $\frac{15}{15+25}$ and $\frac{25}{15+25}$ |
| Their 0.6 + their 0.75 | M1 | dep on M2 |
| 1.35 | A1 |  |
| Additional Guidance |  |  |
| $1.6(0) \div 8$ or $1.2(0) \div 8$ seen implies correct ratio |  |  |

## 13 Alternative method 3

| $15 \times 1.60$ or $£ 24$ or $25 \times 1.20$ or $£ 30$ | M1 |  |
| :--- | :---: | :--- |
| $\frac{\text { their } 24}{15+25}$ or $\frac{\text { their } 30}{15+25}$ | M1 | oe <br> Implies first M1 |
| their $\frac{24}{40}+$ their $\frac{30}{40}$ | M1dep | oe <br> dep on M2 |
| or <br> their $0.6+$ their 0.75 | A1 |  |
| 1.35 |  |  |

## Additional Guidance

their 24 and their 30 must come from correct method
Incorrect conversion from fraction to decimal can still score the method marks
For example
$\frac{24}{40}=0.4 \quad \frac{30}{40}=0.75$
$0.4+0.75=1.15 \quad$ This scores M1M1M1 A0

| $\mathbf{Q}$ | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |


| 14(a) | Doesn't have a time frame eg how <br> often each week month etc <br> or <br> Words rarely, very often, mean <br> different amount of times to different <br> people or are too vague or are not <br> specific enough/difficult to decide <br> which box to tick <br> or <br> Don't need to include 'Never' | oe <br> B2 for two distinct criticisms <br> B1 for one correct criticism |
| :---: | :--- | :--- | :--- |
|  | Additional Guidance |  |
|  | Ignore incorrect statements -give credit for correct ones under either criticism eg two correct <br> criticisms under criticism 1 <br> Comments such as 'it should be once a week, twice a week and so on' gain the B1 for the lack <br> of time frame but not for the criticism of the response boxes |  |
| Condone 'there is a gap between rarely and very often' for the mark for poorly defined boxes |  |  |
| Examples for B1 <br> Doesn't have a weekly/monthly section <br> It's not specific on days, like, it's too rough (Time frame) <br> Not detailed enough - for example how often do you visit per week? (second part gets the <br> mark) <br> No time scale of when they are talking about eg per month <br> Very often could mean different things to different people <br> Response boxes are too vague |  |  |
| Examples for B0 <br> Reference to needing numbered response boxes <br> It is too vague/ It is not specific enough ('it' needs to be clarified eg the words are too vague) <br> It doesn't give a clear amount of how many times people go. <br> The response section doesn't give much information on how many times they came to the <br> restaurant. <br> It isn't specific when they come |  |  |


| Q | Answer | Mark | Comments |
| :---: | :--- | :---: | :--- |
| $\mathbf{1 4 ( b )}$ | Suitable question with time frame | B1 | Eg how many times a month/last month <br> do/did you visit this restaurant |
|  | At least 3 response boxes, not <br> overlapping, no gaps, to cover all <br> possible values for their question | B1 | 'None' or equivalent does not have to be <br> included |
|  | Additional guidance <br> If the time frame is one week it is reasonable to have boxes covering <br> no more than 7 or for a month it could be 30/31 <br> day at the restaurant. <br> Time frame may be in the response section. <br> Response boxes should be appropriate for how often customers visit his restaurant -not some <br> irrelevant question they have asked <br> For example <br> How many friends come with you to the restaurant <br> Boxes 0, 1, 2, 3 or more B0 B0 |  |  |
| 'Other' is not acceptable to cover any they miss! |  |  |  |
| Allow 5+ (for example) to mean '5 and over' or 'over 5' |  |  |  |
| Inequalities must be used correctly |  |  |  |


| Q Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |


| 15 | $x+12$ | B1 | used for Sam <br> Implied by correct equation |
| :---: | :---: | :---: | :---: |
|  | $x+2 x+$ their $(x+12)=84$ | M1 | oe <br> their $x+12$ can be anything, even just12 but must not contradict anything they give separately for Sam |
|  | $4 x=72$ or $x=18$ | M1 | Collection of their like times and rearrangement to $\mathrm{a} x=\mathrm{b}$ |
|  | 30 | A1 |  |
|  | Organised algebraic response and solution | Q1ft | Must gain both method marks and give a solution <br> QWC strand (ii) <br> SC3 30 from a numerical/T\&I approach. <br> SC2 for 18 from a numerical/T\&I approach |
|  | Additional Guidance |  |  |
|  | Their $x+12$ used in the equation must not contradict anything they give separately for Sam $4 x+12=84$ is B 1 M 1 <br> The Q mark is for an algebraic method leading to their solution <br> Example $3 x+12=84 \quad 3 x=72$ <br> Answer 24 <br> B0M1M1A0Q1ft <br> Condone one arithmetical slip for the second Method mark-eg 84-12=76 <br> Adding 12 instead of subtracting 12 is not an arithmetical error - it is incorrect method <br> Answer 18 from a correct algebraic method is B1M1M1A0Q1 <br> Allow omission of $x=$ for their answer of 18 if it comes from solving an equation <br> Example $\begin{aligned} & 4 x+12=84 \\ & 84-12=72 \\ & 72 \div 4=18 \end{aligned}$ <br> Answer $30 \quad$ B1 (implied) M1M1A1Q1 <br> If they give all three answers they must link Sam with 30 <br> eg Andrew 18, Nigel 36, Sam 30 <br> If awarding SC for a numerical approach do not award B1 for $x+12$ seen |  |  |


| Alternative method 1 |  |  |
| :---: | :---: | :---: |
| $\frac{1}{4}+\frac{1}{8}$ or $\frac{3}{8}$ | M1 | oe |
| $1-\text { their } \frac{3}{8}=30 \text { or } \frac{5}{8}=30$ | M1 |  |
| $30 \div$ numerator $\times$ their denominator | M1dep | $30 \div 5 \times 8$ |
| 48 | A1 |  |
| Additional guidance: |  |  |
| Oe Allow use of decimals or equivalent fractions. |  |  |
| Alternative method 2 |  |  |
| One complete trial with a multiple of 8 | M1 |  |
| A second improved trial with a multiple of 8 | M1 |  |
| Trial with 48 | M1 |  |
| 48 | A1 |  |
| Additional guidance: |  |  |
| One complete trial includes everything that allows a comparison to be made. <br> Eg For a trial of $80: 1 / 4$ of 80 or $R(e d)=20,1 / 8$ of 80 or $B($ lue $)=10,20(+) 10(+) 30(=) 60$. (60 is not the same as 80) <br> NB Watch out for trial of 80 : $R=20, B=40, Y=30$ total $=90$, which gains $M 0$ as the fractions used are not correct (they have doubled $1 / 4$ to find $1 / 8$ but have actually found $1 / 4$ and $1 / 2$ ) |  |  |
| Alternative method 3 |  |  |
| $\begin{aligned} & \frac{x}{4}+\frac{x}{8} \\ & \frac{x}{4}+\frac{x}{8}+30=x \text { or } 2 x+x+240=8 x \\ & \hline \end{aligned}$ | M1 M1 |  |
| $240=5 x$ | M1 | Simplifies to $a x=b$ condone one arithmetical error |
| $(x=) 48$ | A1 |  |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 17(a) | Midpoints used | B1 | At least 4 correct |
|  | $\begin{aligned} & (2.5 \times 2)+(7.5 \times 6)+(12.5 \times 8)+ \\ & (17.5 \times 3)+(22.5 \times 1) \end{aligned}$ <br> or $5+45+100+52.5+22.5$ <br> or $225$ | M1 | Attempt at $\Sigma \mathrm{fx}$ using values on or between class boundaries. Condone 1 error. May be seen in the table. <br> Correct fx values implies B1 |
|  | Their $225 \div 20$ | M1 | Division by 20 |
|  | 11.25 (minutes) or 11 minutes 15 seconds | A1 | Ignore subsequent rounding or incorrect conversion to mins and secs if 11.25 seen <br> 11 with no working is BOMOMOAO <br> SC2 for 13.75 or 8.75 with no working (use of upper or lower class boundaries) |
|  | Additional Guidance |  |  |
|  | Midpoints must be used correctly. Not just added up and divided by 5 <br> Mark the method that leads to their answer. <br> Example <br> fx column completed correctly but then method shows $20 \div 5$ answer 4 gains no credit for the fx column |  |  |
| 17(b) | Suitable reason eg, Raw data not known Midpoints used to represent the class Data is/are grouped, not individual values | B1 | oe |
|  | Additional Guidance |  |  |
|  | Allow reference to just one group eg The average for 0 to 5 may be higher or lower than 2.5 |  |  |


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